Market Based Short Term Scheduling in Energy Hub in Presence of Responsive Loads and Renewable Resources

Samaneh Pazouki Islamic Azad University, Tehran South Branch Tehran, Iran samanehpazouki@gmail.com

ABSTRACT

Energy hub as a super node in electrical distribution level has strong potential to receive energy in various carriers and after convert and store, satisfy hub required demands. On the other hand, CO2 emission and fossil fuels reduction raise up the need for integration of renewable based electricity generation such as wind and solar to energy hubs. In this paper, economical operation of energy hub including, stochastic wind generation, Combined Heat and Power (CHP) unit, boiler, and heat and electricity storages are modelled and analyzed. Responsive loads are used for more flexibility of the studied energy hub. Numerical result is observed through GAMS software to serve a commercial load in different scenarios of wind speed to determine when and how much of which carrier should be provided by which technology.

Keywords: Stochastic generation, Demand response, Storage, Energy hub, Optimal operation

1. INTRODUCTION

Integration of variable generation to the grid over the past two decades has been created novel challenges in order to plan and operate the grid including the resources. Intelligent technologies are required to compensate the fluctuation and uncertainty characteristics. DERs have powerful potential to complement the properties [1]. In this paper, energy hub approach is implemented as an innovative approach [2] for declining hub operation cost. Energy hub is modelled beneath electricity and gas network, combined heat and power (CHP) in response to reliability enhancement, efficiency improvement, cost operation reduction and synergy effects between energy carriers to plan and operate recent cooperated technologies to conventional grid [3]. The model develops by renewable, storage and demand side [4] in domestic domain of hot and moderate climate. Demand response could be employed to superior demand and supply balancing in [5].

2. PROBLEM FORMULATION

The energy hub that is modelled in this part is shown in Fig.1:

Mahdi Haghifam Sharif University of Technology, Tehran, Iran Mahdi.haghifam@sharif.edu



Fig.1 Proposed Energy Hub for Problem Formulation

2.1 Converter

$$\begin{bmatrix} L_{\alpha} \\ \vdots \\ L_{\omega} \end{bmatrix} = \begin{bmatrix} C_{\alpha\alpha} & \cdots & C_{\omega\alpha} \\ \vdots & \ddots & \vdots \\ C_{\alpha\omega} & \cdots & C_{\omega\omega} \end{bmatrix} \begin{bmatrix} P_{\alpha} \\ \vdots \\ P_{\omega} \end{bmatrix}$$
(1a)

$$P_{\alpha} = \sum_{k=1}^{N} P_{\alpha k} \tag{1b}$$
$$P_{\alpha} = P_{\alpha} (H) < P_{\alpha}$$

 $P_{\alpha}^{\text{mark}} \leq P_{\alpha}(H) \leq P_{\alpha}^{\text{mark}}$ (1c) Hub input carriers (P_{α}) are converted $(C_{\alpha\alpha})$ to hub output carriers (L_{α}) in (1a). Hub input carrier splints to N converter $(P_{\alpha k})$ in (1b). Hub inputs are constrained in(1c).

2.2 Renewables based generations

$$\begin{bmatrix} L_{\alpha} \\ \vdots \\ L_{\omega} \end{bmatrix} = \begin{bmatrix} P_{\alpha}^{R} \\ \vdots \\ P_{w}^{R} \end{bmatrix}$$
(2)

Renewables (P_{α}^{R}) can directly supply hub output (2).

2.3 Storage

$$\begin{bmatrix} S_{\alpha}(H) \\ \vdots \\ S_{\omega}(H) \end{bmatrix} = \begin{bmatrix} S_{\alpha}(H-1) \\ \vdots \\ S_{\omega}(H-1) \end{bmatrix} + \begin{bmatrix} S_{\alpha}^{ch}(H) \\ \vdots \\ S_{w}^{ch}(H) \end{bmatrix} - \begin{bmatrix} S_{\alpha}^{dis}(H) \\ \vdots \\ S_{w}^{dis}(H) \end{bmatrix} - \begin{bmatrix} S_{\alpha}^{loss}(H) \\ \vdots \\ S_{w}^{loss}(H) \end{bmatrix}$$
(3a)

$$S_{\alpha}^{loss}(H) = \alpha_{\alpha}^{loss} \cdot S_{\alpha}(H)$$
(3b)

$$0 \le S_{\alpha}^{ch}(H) \le \frac{1}{\eta_{\alpha}^{ch}} * S_{\alpha}^{max}$$
(3c)

$$0 \le S_{\alpha}^{dis}(H) \le \eta_{\alpha}^{dis} * S_{\alpha}^{max}$$
(3d)
$$S_{\alpha}^{min} \le S_{\alpha}(H) \le S_{\alpha}^{max}$$
(3e)

Storages $S_{\alpha}(H)$ could be modelled (3a) via charge state $(S_{\alpha}^{ch}(H))$ and its constraint (3c), discharge state $(S_{\alpha}^{dis}(H))$ and its constraints (3d), storage $loss(S_{\alpha}^{loss}(H))$ (3b) and loss coefficient (α_{α}^{loss}) . Storage sizes are restricted (3e).

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2.4 Demand Response

$$\begin{bmatrix} L_{\alpha} \\ \vdots \\ L_{\omega} \end{bmatrix} = \begin{bmatrix} D_{\alpha\alpha} & \cdots & 0 \\ \vdots & \ddots & \vdots \\ 0 & \cdots & D_{\omega\omega} \end{bmatrix} \begin{bmatrix} P_{\alpha}^{DR}(H) \\ \vdots \\ P_{\alpha}^{CUT}(H) \end{bmatrix}$$
(4a)

Flexible load=1, Fixed load=0; (4b)
$$P_{\text{current}}^{(\text{u})}$$

$$L_{\alpha}(H) = P_{\alpha}^{CUT}(H) \tag{4c}$$

$$L_{\alpha}^{(H)}(H) = L_{\alpha}(H) - P_{\alpha}^{(H)}(H)$$

$$0 \le P_{\alpha}^{CUT}(H) \le LPFCUT * L_{\alpha}(H)$$
(4d)
(4d)
(4d)
(4d)
(4d)
(4d)

Demand response in (4a) would be directly stated in (4c) with curtailment program $(P_{\alpha}^{CUT}(H))$ and its restrictions (4e).New electrical load is situated in (4d).

2.5 Completed Energy Hub

$$\begin{bmatrix} L_{\alpha}(H) \\ \vdots \\ L_{\omega}(H) \end{bmatrix} = \begin{bmatrix} C_{\alpha\alpha} & \cdots & C_{\omega\alpha} \\ \vdots & \ddots & \vdots \\ C_{\alpha\omega} & \cdots & C_{\omega\omega} \end{bmatrix} \begin{bmatrix} P_{\alpha}(H) \\ \vdots \\ P_{\omega}(H) \end{bmatrix} + \begin{bmatrix} P_{\alpha}^{R}(H) \\ \vdots \\ P_{w}^{R}(H) \end{bmatrix} \\ + \begin{bmatrix} S_{\alpha}^{dis}(H) \\ \vdots \\ S_{w}^{dis}(H) \end{bmatrix} - \begin{bmatrix} S_{\alpha}^{ch}(H) \\ \vdots \\ S_{w}^{ch}(H) \end{bmatrix} + \begin{bmatrix} D_{\alpha\alpha} & \cdots & 0 \\ \vdots & \ddots & \vdots \\ 0 & \cdots & D_{\omega\omega} \end{bmatrix} \begin{bmatrix} P_{\alpha}^{DR}(H) \\ \vdots \\ P_{\omega}^{DR}(H) \end{bmatrix}$$
(5a)

$$\begin{bmatrix} S_{\alpha}(H) \\ \vdots \\ S_{\omega}(H) \end{bmatrix} = \begin{bmatrix} S_{\alpha}(H-1) \\ \vdots \\ S_{\omega}(H-1) \end{bmatrix} + \begin{bmatrix} S_{\alpha}^{cn}(H) \\ \vdots \\ S_{w}^{ch}(H) \end{bmatrix} - \begin{bmatrix} S_{\alpha}^{ais}(H) \\ \vdots \\ S_{w}^{dis}(H) \end{bmatrix} - \begin{bmatrix} \alpha_{\alpha}^{aiss} \cdot S_{\alpha}(H) \\ \vdots \\ \alpha_{w}^{loss} \cdot S_{w}(H) \end{bmatrix} (5b)$$

 $\begin{aligned} P_{\alpha}^{min} &\leq P_{\alpha}(H) \leq P_{\alpha}^{max} \\ 0 &\leq S_{\alpha}^{ch}(H) \leq * S_{\alpha}^{max} \\ 0 &\leq S_{\alpha}^{ais}(H) \leq \eta_{\alpha}^{dis} * S_{\alpha}^{max} \\ S_{\alpha}^{min} &\leq S_{\alpha}(H) \leq S_{\alpha}^{max} \\ 0 &\leq P_{\alpha}^{DR}(H) \leq LPFDR * L_{\alpha}(H) \end{aligned} (5c)$ Energy hub entirely models in (5a) (5b) with its

Energy hub entirely models in (5a), (5b) with its limitations (5c) which are essential of hub optimization.

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2.6 Proposed Energy Hub

$$\begin{bmatrix} L_e + L_e^S \\ L_h + L_h^S \end{bmatrix} = \begin{bmatrix} \eta_{ee}^T & \eta_{ge}^C & 0 \\ 0 & \eta_{gh}^C & \eta_{gh}^B \end{bmatrix} * \begin{bmatrix} P_e^P \\ P_g^C \\ P_g^B \end{bmatrix} + \begin{bmatrix} P_e^W \\ 0 \end{bmatrix} + \begin{bmatrix} S_e^{dis}(H) \\ S_h^{dis}(H) \end{bmatrix} - \begin{bmatrix} S_e^{ch}(H) \\ S_h^{ch}(H) \end{bmatrix} + \begin{bmatrix} P_e^{CUT} \\ 0 \end{bmatrix}$$
(6a)
$$\begin{bmatrix} S_e(H) \\ S_h(H) \end{bmatrix} = \begin{bmatrix} S_e(H-1) \\ \vdots \\ S_h(H-1) \end{bmatrix} + \begin{bmatrix} S_e^{ch}(H) \\ \vdots \\ S_h^{ch}(H) \end{bmatrix} - \begin{bmatrix} S_e^{dis}(H) \\ \vdots \\ S_h^{ch}(H) \end{bmatrix} - \begin{bmatrix} S_e^{dis}(H) \\ \vdots \\ S_h^{dis}(H) \end{bmatrix} - \begin{bmatrix} \alpha_e^{loss} \cdot S_e(H) \\ \vdots \\ \alpha_h^{loss} \cdot S_h(H) \end{bmatrix}$$
(6b)

$$\begin{split} P_e^W &= \frac{1}{2} * \rho * A * V^3(H) \\ P_g &= \sum_{k=1}^2 P_{g2} \\ P_g &= P_g^C + P_g^B \\ 0 &\leq P_e^T(H) \leq P_e^{max} \\ 0 &\leq S_e^{(T)}(H) \leq P_g^{max} \\ 0 &\leq S_e^{(T)}(H) \leq \frac{1}{\eta_e^{(T)}} * S_e^{max} \\ 0 &\leq S_e^{(G)}(H) \leq \eta_e^{dis} * S_e^{max} \\ 0 &\leq S_e(H) \leq S_e^{max} \\ 0 &\leq S_e^{(T)}(H) \leq \frac{1}{\eta_h^{Ch}} * S_h^{max} \\ 0 &\leq S_h^{(G)}(H) \leq \eta_h^{dis} * S_h^{max} \\ 0 &\leq S_h(H) \leq S_h^{max} \\ 0 &\leq S_e^{(UT)}(H) \leq LPFCUT * L_e(H) \end{split}$$
(6c)

Where. L_e, L_h ; Electrical and Heat Load L_e^S, L_h^S ; Sold Electricity and Heat to grid η_{ee}^{T} ; Electricity to Electricity Efficiency of Transformer η_{ge}^{c} ; Gas to Electricity Efficiency of CHP η_{gh}^{c} ; Gas to Heat Efficiency of CHP η^B_{gh} ; Gas to Heat Efficiency of Boiler P_e^{W} ; Wind Turbine Power P_g ; Imported Gas from grid P_q^C ; Imported Gas for CHP P_a^B ; Imported Gas for Boiler \vec{P}_e^T ; Imported Electricity for Transformer $\eta_e^{dis}, \eta_h^{dis}$; Electrical and heat storage discharge efficiency $S_e^{dis}(H), S_h^{dis}(H)$;Discharge power of Electricity & Heat Storage η_e^{ch}, η_b^{ch} ; Electrical and heat storage charge efficiency $S_e^{ch}(H), S_h^{ch}(H)$; Charge power of Electricity & Heat Storage P_e^{CUT} ; Curtailed power by Demand Response α_e^{loss} , α_h^{loss} ; Electricity and Heat Loss Coefficient P_e^{max} ; Maximum imported electricity from grid P_a^{max} ; Maximum imported gas from grid

 S_e^{max} , S_h^{max} ; Maximum size of electricity & heat storage *LPFCUT*; Load participation factor of curtail able load

3. ENERGY HUB SCHEDULING

$$OF = \sum_{H=1}^{H=24} \pi . P$$
 (7)

Energy hub is profitably scheduled based on minimum cost operation of objective function (*OF*). π is stated as price which is related to its power (*P*).

3.1 Proposed Energy Hub Scheduling

$$OF = \sum_{H=1}^{H=24} [g(H) * P_g^C(H)] + \sum_{H=1}^{H=24} [g(H) * P_g^B(H)]$$

$$+ \sum_{\substack{H=24 \\ H=24}}^{H=24} [e(H) * P_e^T(H) + \sum_{\substack{H=1 \\ H=24}}^{H=24} [cut(H) * P_e^{CUT}(H)$$

$$- \sum_{H=1}^{L} [hb * L_h^S(H)] - \sum_{H=1}^{L} [(e(H) + eb) * L_e^S(H)]$$
(8)

Where,

g (H); Network gas price (cent/kwh) e (H); Grid electricity price (cent/kwh) cut (H); Curtailed demand price (cent/kwh) hb; Heat benefit price (Cent/kwh) eb; Electricity benefit price (Cent/kwh)

4. SIMULATION RESULTS

Proposed hub (Fig.1) is simulated as LP model of GAMS software. Hub outputs (Fig.2), hub input carriers prices, curtailment costs (Fig.3), wind turbine different power output (Fig.4), various curtailment costs (Fig.5) and hub parameter values are shown in Table.1 as input DATA.

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Fig.12 Heat load suppliers at 24 hours a low wind day

Time (H)

-400

-600

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TABLE.2 Economical Result of Different Wind Days					
	High Wind Day	Mid Wind Day	Low Wind Day		
Cost	321494.142	364755.197	388362.769		
Income	1323360.380	1289638.928	1169450.969		
Income/Cost	4.116	3.536	3.011		
OF	1001866.238	924883.731	781088.200		

TABLE.3 Heat Load Supply Results

$L_h(H) = -L_h^s(H) \cdot$	$+ \eta^B_{gH} P^B_g($	$H) + \eta_{gh}^{C} P_{g}^{C}$	$(H)+S_h^{dis}-S_h^{ch}$			
No. Scenario	$L_h =$	$-L_h^S$	$+\eta^c_{gh}*P^c_g$	$+\eta^B_{gh}*P^B_g$	$+S_h^{dis}$	$-S_h^{ch}$
1.low (H=19)	550	0	272	288	0	10
(H=20)	550	0	400	0	150	0
(H=21)	620	0	262.095	0	47.619	0
2.Mid (H=19)	550	202.357	116.420	638.054	0	2.118
(H=20)	550	0	0	0	0	180
(H=21)	620	0	362.680	83.971	173.350	0
3.High(H=19)	550	350	0	900	0	0
(H=20)	550	0	0	0	0	0
(H=21)	620	280	0	900	0	0

Simulation results are illustrated in (Fig.6)-(Fig.12) to supply heat and electrical demands. Exact numerical results are sited in Table.2, 3, 4. Where PET, PGCE, SE, LES are consequently stated as imported electricity power for transformer, imported gas power for producing electricity by CHP, electrical storage content value and sold electricity to the grid. PGB, PGCH, SH, LHS explain imported gas to boiler, imported gas for producing heat by CHP, heat storage content value and sold heat to the grid.

When hub curtailment costs increase, participation of load to serve hub electrical output will decrease (Fig.6). Observing wind speed changes is exhibited in Fig.7-Fig.12. While rising wind, wind turbine output power enhances and it causes some changes in hub performance and operation costs. With increasing wind turbine output power, imported electricity carrier from grid will decrease because wind turbine provides required electricity demands. Electrical storages save additional produced electricity. More electricity than low and mid wind days is sold to the grid to achieve profit. CHP is run less than when wind speed is low and medium. Hence, heat storages are emptied to provide HUB heat loads. Extra required heat is satisfied by boiler in this state and more heat than low and medium wind is sold to the network to receive income. On the other hand, wind turbine produces less electricity in low wind days. Therefore, hub imports more network gas carrier more than high and mid wind days and more than electricity carrier because gas carrier price is lower than grid electricity price. Less electricity is sold to the grid in this stage. Hence, wind speed reduction causes cost operation enhancement (Table.2). In this respect, CHP produces more electricity and heat. Boiler is employed less than low and mid wind days. So, heat storages have less content values and less heat is sold to the network.

Table.3, 4 evaluate numerical results of hub heat and electrical required demands supply via various generation resources in 3 hours. The exact values of demands feeds are situated in the tables.

$L_e(H) = -L_e^{\ s}(H) + \eta_{ee}^{T}P_e^{T}(H) + \eta_{ge}^{C}P_g^{C}(H) + P_e^{W}(H) - S_e^{ch}(H) + S_e^{dis}(H) + P_e^{CUT}(H)$								
No.	Le	$-L_e^S$	$+\eta_{ee}^{T}$	$+\eta_{ge}^{C}$	$+P_e^W$	$+S_e^{dis}$	$-S_e^{ch}$	$+P_e^{CUT}$
Scenario	=		$* P_e^T$	* P ^C _g				
1.low (H=19)	10	347.	980	238	124.34	0	5	10
	00	34						
(H=20)	12	345.	980	350	113.245	90	0	12
	00	24						
(H=21)	12	238.	980	229.	208.013	9.	0	12
	00	87		333		524		
2.Mid(H=19)	10	500	980	101.	427.418	0	19.	10
	00			868			286	
(H=20)	12	500	980	119	504.623	84.	0	12
	00					377		
(H=21)	12	500	980	317.	377.384	13.	0	12
	00			345		271		
3.High(H=19)	10	500	850.	0	729.608	0	90	10
-	00		392					
(H=20)	12	500	612.	0	985.593	90	0	12
	00		407					
(H=21)	12	500	656.	0	1022.433	9.	0	12
	00		043			524		

5. CONCLUSION

Fossil fuels reduction and CO2 emission has created various novel challenges in order to innovate new technologies and techniques in response to efficiency enhancement, reliability increase, pollution decrease and cost operation reduction. Distributed energy resources such as CHP, renewable generation are great example of the technologies. In spite of high benefit of renewable resources, uncertainty and variability characteristics have to be supported with complemented resources. DR and storages attributes make them well suited for the environment. In this respect, energy hub as a strong solution is employed to unite the technologies with traditional grid to superior demand and supply balancing target to minimize operation costs. Problem was mathematically formulated and simulation was run via LP model of GAMS software. Results show when and what technologies could be strongly satisfied hub required demands to achieve minimum cost operation based on grid prices and different wind days.

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